Performance of Batter Piles under Lateral Loads in Sand

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BSTRACT: In view of the frequent applications of batter piles in foundation to resists lateral loads, a considerable amount of poretical work has been done besides field and laboratory tests to evaluate the performance of such piles. In this paper, the effection of flexible batter under lateral loads in sand and its applicability is discussed experimentally. Model tests were carried using instrumented piles of wide-ranging flexibilities. The rigid and flexible piles were buried in loose sand. Piles were salled at batter angles $\beta = 0^0$, $\pm 15^0$ and $\pm 30^0$ and were subjected to incrementally increasing lateral loads. The deflection of each from the laboratory test were computed based on the fitting method suggested by Manoppo and Koumoto. The deflection the laboratory test was compared than the theory suggested by Poulos and Davis, Sastry et al. and Chang. The result of ection shows that for flexible piles Chang and Sastry et al. method was better than Poulos and Davis method. On the other

words: Batter pile, deflection, lateral load, model test, sand

INTRODUCTION

Batter piles are usually employed when the lateral load seeds an allowable limit for vertical piles (Peck et 1953; McNulty, 1956) and widely used to support loads caused on foundation of many civil meering constructions such as bridge abutments, msmission towers and offshore structures. Analysis atteral loaded piles of various relative stiffness in temogeneous elastic soils indicates (Meyerhof, 1979, severhof and Yalcin, 1984) that free head piles may considered rigid for practical purposes if their manive stiffness Kr ≥0.01 and flexible piles if their marive stiffness $Kr \le 0.001$. An out batter or a positive pile has lateral load acting in the opposite direction to the batter, while a negative batter pile has load acting in the same direction. Earlier msive theoretical and experimental studies have made in the past to analyzed the behavior of well vertical and batter piles in various soils under loads, for example, (Brinch Hansen, 1961; serhof and Ranjan, 1973; Meyerhof et.al, Chang, 1973; Poulos and Davis, 1980; Sastry, samoto and Manoppo, 1994; Sastry, Koumoto and Manageo, 1995) were among the contributions based m this experimental work. This paper presents the method of Sastry et. al for determining the deflection matter piles under lateral loads in sand. The working for determining the deflection was computed med on fitting method suggested by Manoppo et al.

2. MODEL TEST

2.1 Soil and Pile Data

Sands used in the test was uniformly graded having effective size = 0.12 mm and uniformity coefficient = 1.67. The minimum and maximum void ratios of the sand were 0.61 and 0.96, respectively and the porosity of 47% gave a unit weight y of about 14.0 kN/m3 and the friction angle \$\phi=31.0^0\$. Based on the above test, for unit weight 15.0 kN/m3 and unit weight 15.5 kN/m3 were given friction angle \$\phi=37.0^0\$ and friction angle φ=39.2°. Assuming isotropy, the values of horizontal modulus elasticity of soil E, along the embedded length of pile was back calculated from vertical rigid pile tests burried in the same sand. The value of Es was zero at the ground level, and was linearly increasing to a value of 365,000 kN/m2 at a depth of 380 mm. Based on that test the values of E, at unit weight 15.0 kN/m3 and 15.5 kN/m3 are 761.215 kN/m2 and 1376.365 kN/m2. The model piles were made of alumunium(A2, A3), acrylic (P2,P3)and steel(S1) having an outside diameter B of about 16 mm and 30 mm and wall thickness of 1 to 4 mm. Five piles were used in this research. The piles were buried to the length L of 320 mm, 380 mm and 640 mm in sand. The relative pile stiffness K, ranged from 69×10⁻¹ to 10⁻⁵.

2.2 Test details

Sand was rained and compacted in a square tank 48×48 cm and 80 cm depth. When the soil surface reached the required level, the pile was placed at a required batter angle $\beta = 0^{\circ}$, $\pm 15^{\circ}$ and $\pm 30^{\circ}$ to the vertical. The raining

was continued until the tank was full. The horizontal load was applied in 10 to 20 increments, each being 0.0005 to 0.0200 kN depending on the estimated failure load. The load was applied 20.0 mm and 25.4 mm above the ground level, through a wire passing over a pulley and attached to the pile top. The horizontal deflection of the load point was measured by a LVDT (Linear Voltage Differential Transducer).

The loading tests results load Q and deflection Y curves are being presented typically in Fig.1.

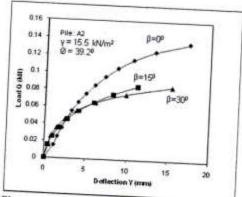


Figure 1. Typically results load Q and deflection Y curves

3. RESULTS AND ANALYSIS

Based on the ultimate bearing capacities computed by using the fitting method (Manoppo, F.J and Koumoto, T, 1998), the observed deflection of flexible batter pile could be determined. The observed deflection values were compared with theoretical estimates derived from three methods as follows:

The lateral ground line deflection Y and rotation ϑ of rigid pile of length L under a working lateral load $Q = Q_0/2 \sim Q_0/3$. (Q_0 is the ultimate bearing capacity derived with the fitting method) acting at a height h above the ground surface are estimated by using the theory of Poulos and Davis, 1980

$$Y_o = Q \times (I_{\rho h} + I_{\rho m} \times h/L) / E_s \times L \times F_{\rho}$$
(1)

$$\theta_o = Q \times \left(I_{\theta h} + I_{\theta m} \times h_L'\right) / E_s \times L^2 \times F_\theta \tag{2}$$

$$Y_1 = Y_o + \tan(\theta_o) \times h \tag{3}$$

Where, Y_0 and θo are the ground surface deflection, Y_1 is the load level deflection, E_s is the modulus elasticity of sand, $I_{\rho b b}$, $I_{\rho m m} = I_{\theta b}$ and $I_{\theta m m}$ are elastic influence factors of sand for a rigid pile, F_ρ and F_θ are

yield deflection and rotation factors of sand, respectively. This method is referred to as method 1.

In the case of of flexible pile, the method suggested by Sastry, Koumoto and Manoppo, 1995,1996 were used, in which the length L of pile was replaced with the length effective L_c

$$L_r / L = 2.3 \times K_r^{0.2} \le 1$$
 (4)

$$K_{r} = E_{p}I_{p}/E_{s}L^{4}$$
(5)

Where, K_r is the relative stiffness of pile. Considering average constant values of I_{ph} =7.5, I_{pm} = $I_{\theta\theta}$ =9, $I_{\theta m}$ =12. The Y_1 values are then computed according to equation 3. This approach is referred to as method 2.

Deflection values due to a working lateral load Q acting at a height h above the ground level on a flexible pile of length L embedded in a soil with a uniform normal secant modulus of E_a are also computed by Chang, 1973

$$YI = Q\{(1 + \beta)3 + 0.5\}/3 \times E_p \times I_p \times \beta^3 \times F_\theta$$
 (6)

$$\beta = \left(E_s'/4E_pI_p\right)^{0.25} \tag{7}$$

This approach is referred to as method 3.

The results of the observed deflection values based on the fitting method and the theoretical deflection values are presented in Figure 2, 3 and 4.

Generally the results show that rigid pile method 3 was usually under estimated and method 1 was close to the observed deflection. On the other hands, method 2 and method 3 were closed to the observed for flexible piles as shown in Figure 2,3 and 4. The effect of unit weight γ shows that the deflection decreases as the unit weight increases. The most significantly influenced to the deflection was the relative stiffness K_τ of piles shown in Figure 2,3 and 4.

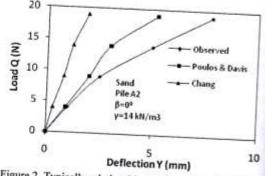
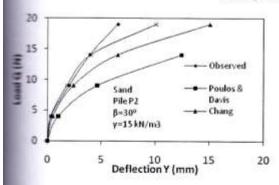
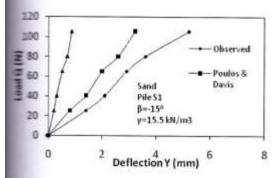


Figure 2. Typically relationship between $\ \$ lateral load $\ \ Q$ and load level deflection $\ \ Y$



and load level deflection Y



 Typically relationship between lateral load Q and load level deflection Y

CONCLUSIONS

result of deflection shows that for flexible piles and Sastry, Koumoto and Manoppo method was than Poulos and Davis method. On the other six, for rigid pile Poulos and Davis method was cable to used. Although the method of analysis in study are reasonably, it is believed that further in the field are needed.

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